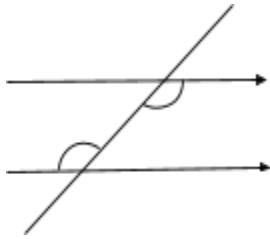


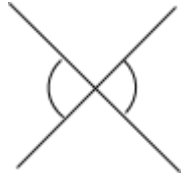
Math formula sheet : Angles and Shapes

Angles



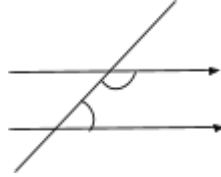
Interior alternate angles,

Equal



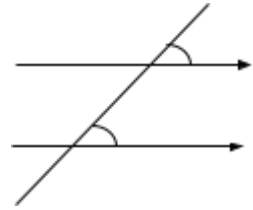
Vertically opposite angles,

Equal



Allied angles,

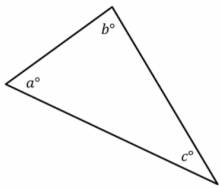
Add to 180



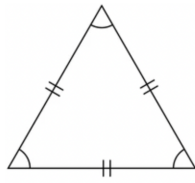
Corresponding angles,

Equal

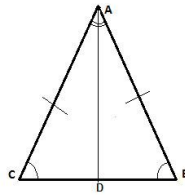
Triangles



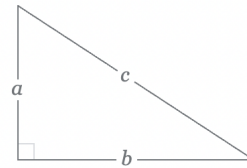
$a + b + c = 180$



Equilateral triangle

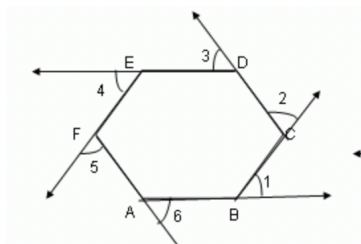


Isosceles triangle

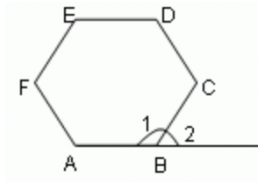


$a^2 + b^2 = c^2$, right angled triangle

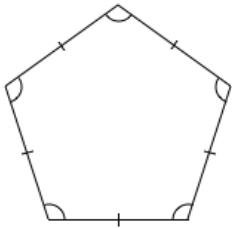
Polygons



- Exterior angles (1,2,3,4,5,6) add to 360
- Sum of interior angles : $(n-2) \times 180$, where n is the number of sides

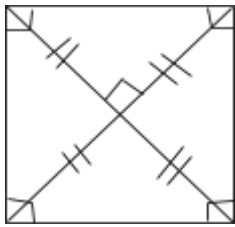


exterior angle (2) + interior angle (1) = 180



A regular polygon has all sides equal, and all angles equal

Quadrilaterals



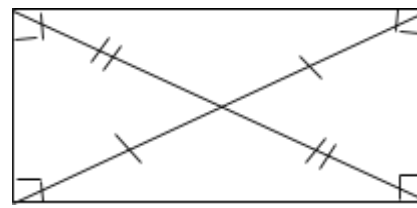
1. Square

4 lines of symmetry

Rotational symmetry of order 4

Area = side²

Perimeter = 4 x side



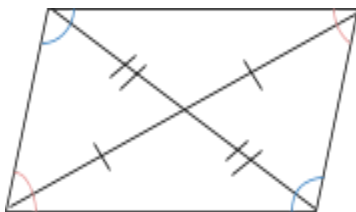
2. Rectangle

2 lines of symmetry

Rotational symmetry of order 2

Area = length x width

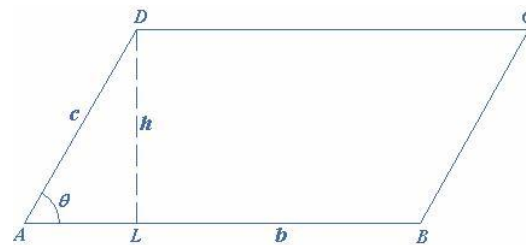
Perimeter = 2(length + width)



3. Parallelogram

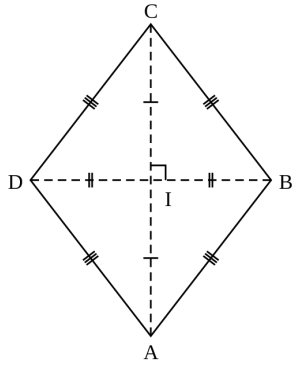
No lines of symmetry

Rotational symmetry of order 2



Area = AB x h (base x height)

= AB x c sin θ (as c sin θ = h)

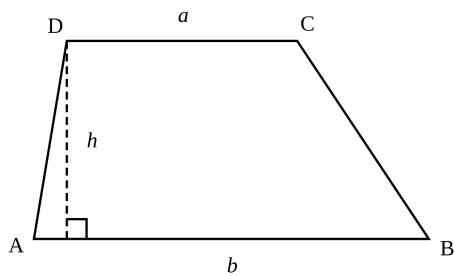


4. Rhombus

2 lines of symmetry

Rotational symmetry of order 2

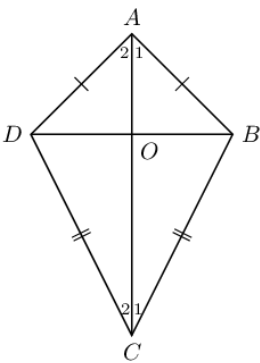
Diagonals bisect angles, so $\angle DAC = \angle BAC$



5. Trapezium

Area = $\frac{1}{2} h (a + b)$

a and b are parallel sides



6. Kite

1 line of symmetry, no rotational symmetry

Area = $\frac{1}{2} DB \times AC$ ($\frac{1}{2}$ x product of diagonals)

Diagonals form right angles where they intersect

