

WORK AND ENERGY

Non zero work! → displacement in the force's (F's) direction

WORK

WORK = Force x displacement in the direction of force. or disp x Force in the direction of disp

Work done by a force is defined as the product of the force and the displacement in the direction of the applied force. +ve and -ve.

No sense of direction

VALUES OF WORK

(i) work = 0 when $F \neq 0$ OR displacement $\neq 0$.

• displacement is \perp to the applied force. $\theta = 90$

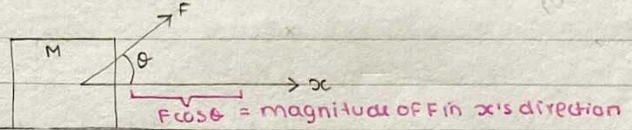
(• Displacement = 0)

$$\left[\begin{array}{l} \cos 90 = 0 \\ x \times F \times 0 = 0 \end{array} \right]$$

$$W = x \times F = x \times \text{Force in the direction of } x$$

$$= x \times F \cos \theta = F x \cos \theta$$

↳ same direction as x .

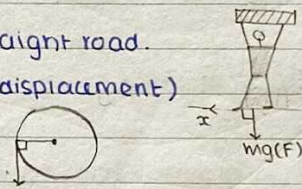


examples: → carrying a load on your head and walking along a straight road.

→ uniform circular motion (centripetal acc \perp velocity and displacement)

(centrifugal and centripetal motions can't do work)

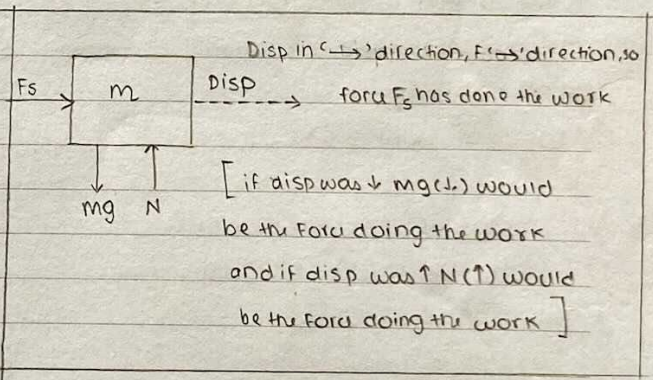
→ Magnetic fields can't do work on moving charges.



(ii) work = POSITIVE

• displacement and force are in the same direction

• Same direction so $\theta = 0$
 $F \times x \cos \theta = mg \times h \times \cos 0$
 $= mgh \times 1 = mgh$



(iii) WORK = NEGATIVE

• displacement in the opposite direction of the force, -ve work by F

• opp. directions so $\theta = 180^\circ$ $F = mg$ disp = $-h$ as
 $F \times x \cos \theta = mg \times h \times \cos 180$ OR it's in the opp. direction
 $= mgh \times -1 = -mgh$
 $w = F \times \text{disp} = mg \times -h = -mgh$

+ve & -ve work done, force should be external

example.

1) A woman pulls her horse in \leftarrow direction, and the horse moves in \leftarrow direction (of the F applied).

By woman: positive work on horse

2) A woman pulls her horse in \leftarrow direction, but the horse resists and applies a force in the opposite direction. However, he moves in \leftarrow direction despite his force.

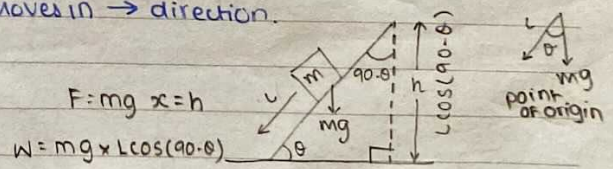
By woman: positive work on horse.

By horse: negative work.

3) " horse resists and applies a force in \rightarrow direction. the horse moves in \rightarrow direction.

By woman: negative work

By horse: positive work.



Energy

Mechanical Energy

• If an object can move it contains ME, total M.E = sum of P.E + K.E

Potential energy

• energy possessed by a body by the virtue of its position / configuration. is of three types:

- gravitational, b) elastic c) electrostatic
- if a stone falls on glass from a height the glass will break.
- compressed / stretched spring
- if 2 alike charges are forcefully brought together they store P.E

- P.E depends on the position of the object.
- P.E of a mass in a gravitational field depends on
 - P.E \propto mass (m)
 - P.E \propto height of the object (h) *
 - P.E \propto gravitational acceleration

• $P.E = mgh$
 (* g as constant $\rightarrow 1$)

\rightarrow P.E and K.E are: scalar quantities.
 S.I unit: Joules (J) C.G.S unit: erg.
 $1 \text{ J} = 10^7 \text{ erg}$

Types of P.E

- Chemical energy \rightarrow Petrol has c. energy as it can drive a car
- Electrical energy \rightarrow electrical charges have e. energy as they can move fans, etc.
- Nuclear energy \rightarrow possessed by nucleons inside the nucleus, work: movement of alpha / beta particles.
- Light energy \rightarrow sunlight falls on solar panels.
- Radiated energy \rightarrow sound energy

kinetic energy

- possessed by a moving body. is of three types:
 - rotational b) translational c) vibrational.
 - due to a body's rotatory movement about a fixed point
 - linear motion (in a straight line)
 - vibrations / to and fro motion. (by virtue of its motion).

• M.K.E = sum of Translational KE and Rotational K.E
 (R.K.E = 0)

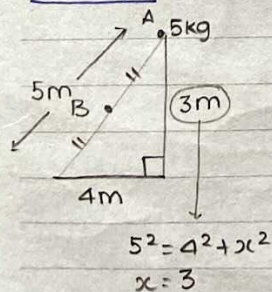
- K.E depends on
 - K.E \propto mass (m)
 - K.E $\propto v^2$

• $K.E = \frac{1}{2}mv^2$
 (* g as constant $\rightarrow \frac{1}{2}$)

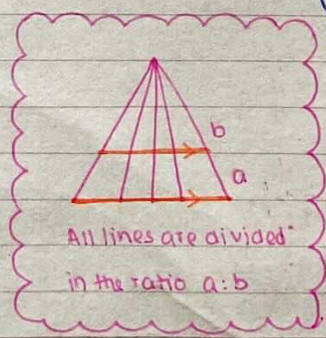
* from a reference plain located within the frame of reference. Reference plain \perp to g . $g \downarrow$ Ref. p \rightarrow Ref. frame is usually ground.

Energy of a body is its ability to do work when it applies a force and creates a displacement. You can't measure energy

Example



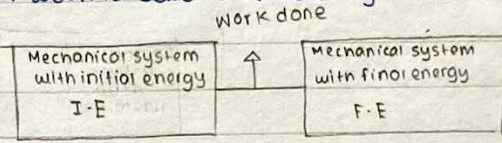
A $\rightarrow 5 \times 10 \times 3 = 150 \text{ J mgh}$
 B $\rightarrow 5 \times 10 \times 1.5 = 75 \text{ J mgh}$



ENERGY TRANSFORMATION

If there is any change in the total energy of a particle m. work is said to be done by an external agency of force.

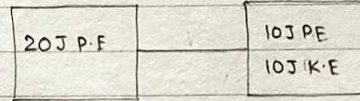
Assumptions: no dissipation of energy, internal energies are neglected



$$\text{WORK done} = \Delta E = F \cdot E - I \cdot E$$

If there is a change in energy from one form to another work is said to be done.

change in K.E / P.E in a given system is always = the work done by the external source.



10J of work is done

$$W = K.E(f) - K.E(i)$$

$$W = P.E(f) - P.E(i)$$

Dissipation of energy - wastage/loss of energy (into other forms) in a way that it cannot be utilized to do useful work.

Law of conservation of energy

Energy can neither be created nor destroyed, but can be transformed from one form to another.

examples:

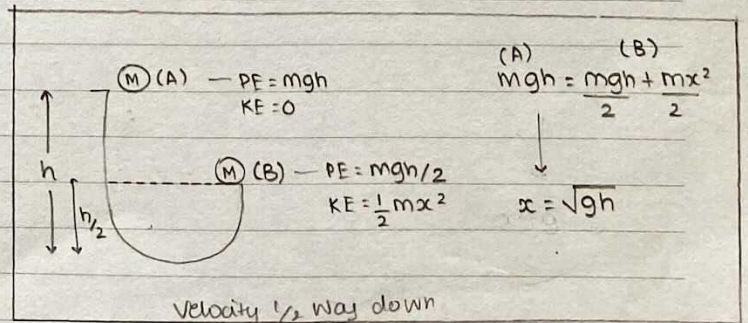
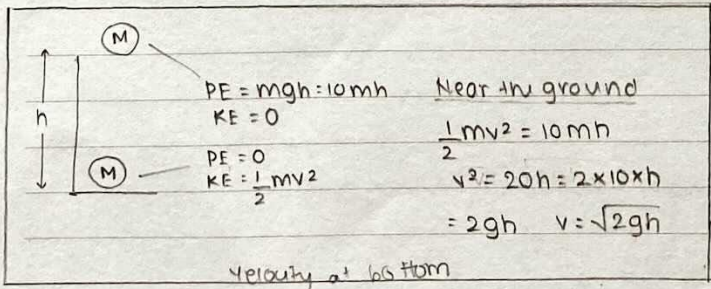
- (i) Electrical energy - Kinetic energy AFAN
- (ii) Sound energy - electrical energy MIKE
- (iii) electrical energy - sound energy LOUDSPEAKERS

Energy can be wasted, but not lost. Sum total of energy in a closed system is always constant. Sum total of KE & PE during a free fall is always constant.

- work done on object in the direction of motion → object gains energy
- work done on object against direction of motion → energy is lost

example

When a ball is thrown up: mg (force) → negative work.
our hands → positive work
Total work done = $\Delta K.E$



Fuel (chemical) → Comb (mix fuel + air) → Ignition (heat, light, sound = dissipated energy)

Mechanical energy = Motion